

## Complex No:

A number of the form  $a+ib$ , where  $a, b \in \mathbb{R}$  is called complex number.

e.g

$2+3i, 4+5i, 5-2i,$

$1+i, 1-i, 1+3i, 7+2i$

# Imaginary No:

A number of the form "ib" where "b" is real is called an imaginary number.

e.g

$3i, 5i, 7i, \sqrt{5}i, \sqrt{7}i, \sqrt{18}i, \dots$

Argument of Complex No.  
Angle between real axis  
and the line joining  
complex no. to origin  
is called argument  
of a complex number.

# Conjugate of Complex No.

If  $z = a + ib$  then its

conjugation is

$$z^* = \bar{z} = a - ib$$

# Polynomials (function)

A function of the form

$$P(x) = 3x^3 - x^2 + 4x - 1 \quad \left[ \begin{array}{l} \text{Cubic Polynomial} \\ \text{Degree 3} \end{array} \right]$$

$$P(x) = x^2 - 4x + 5 \quad \left[ \begin{array}{l} \text{Quadratic poly-} \\ \text{Degree 2} \end{array} \right]$$

$$P(x) = 2x + 3 \quad \left[ \begin{array}{l} \text{Linear polynomial} \\ \text{Degree 1} \end{array} \right]$$

$$P(x) = 5 \quad \left[ \text{Degree 0 constant} \right]$$

## Remainder Theorem:

When a polynomial  $P(x)$  is divided by  $x-a$ , then remainder is given;

$$R = P(a).$$

## Factor theorem:

When a polynomial  $P(x)$  is divided by  $x-a$  &

$$R = P(a) = 0$$

then  $x-a$  will be factor of  $P(x)$ .

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**Equation:** An equation is a statement that two expressions are equal, i.e. two expressions are joined by a sign of equality (=).

For example, if  $x + 2$  and  $2x - 5$  are equal, then we write this fact in the following equation form

$$x + 2 = 2x - 5$$

### **Quadratic Equation:**

An equation of the form  $ax^2 + bx + c = 0$ , where  $a \neq 0$  is called the *quadratic equation*. The values of  $x$  satisfying the quadratic equation are called its *solutions* or *roots*.

For example,  $3x^2 + 2x + 1 = 0$ ,  $x^2 - 2 = 0$ ,  $7x^2 + 9x + 3 = 0$  all are quadratic equations. But  $x + 9 = 0$  is not quadratic equation. In the following we discuss the methods for finding the solutions of quadratic equations.

**Example 1:** Consider the quadratic equation